



**TANTA UNIVERSITY  
FACULTY OF SCIENCE  
DEPARTMENT OF MATHEMATICS**

**EXAMINATION FOR JUNIORS (THIRD YEAR) STUDENTS OF ZOOLOGY**

<b>COURSE TITLE:</b>	<b>BIOSTATISTICS</b>	<b>COURSE CODE:ST3202</b>
<b>DATE:29 DEC, 2020</b>	<b>TERM: FIRST</b>	<b>TOTAL ASSESSMENT MARKS: 50</b>
		<b>TIME ALLOWED: 2 HOURS</b>

**Answer the Following Questions:**

**Total Mark: 50**

**Q1.** After a nuclear accident, government scientists measured radiation levels at 20 randomly chosen sites in a small area. The measuring instrument used is calibrated to measure the ratio of present radiation to the previous known average radiation. The measurements are summarized by:

$$\sum x = 22.8, \quad \sum x^2 = 27.55$$

Test at  $\alpha = 0.05$ , Is there an increase in radiation in that area? (12 Mark)

**Q2.** A study was conducted to determine if a new anti-hypertensive agent could lower the diastolic blood pressure in normal individuals. Initial clinical results are presented in the following table:

Before	68	83	72	75	79	71	65	76	78	68	85	74
After	66	80	67	74	70	77	64	70	76	66	81	68

At level of significance  $\alpha = 0.05$ , *Did the new drug lower the blood pressure?* (12 Mark)

**Q3.** A quality control manager of a company that operate 4-shifts want to test is there a dependency between the quality of the production (accept or not accept) and which the shift is produced? The data collected is as follows. Test at  $\alpha = 0.01$ , is there a dependency between them? (13 Mark)

	Shift 1	Shift 2	Shift 3	Shift 4
Acceptable	10	10	15	5
Not acceptable	15	5	5	35

**Q4.** The following is sample information. Test the hypothesis that the treatment means are equal.

Use  $\alpha = 0.05$ .

(13 Mark)

Treatment 1	Treatment 2	Treatment 3
8	3	3
6	2	4
10	4	5
9	3	4

**You May Use:**  $\chi^2_{(0.01,3)} = 11.34, \chi^2_{(0.01,8)} = 20.09, t_{0.05,11} = 1.796, t_{0.025,11} = 2.201,$

$t_{0.05,4} = 2.132, F_{0.05,2,9} = 4.26, t_{(0.05,19)} = 1.729, t_{(0.025,19)} = 2.093, F_{0.05,2,12} = 3.89.$

*With all My Best Wishes*

*Dr. Wafaa Anwar Abd El Latif*

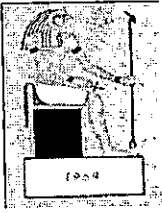
4. The figure below shows a dynamic programming scoring matrix for two sequences:

	0	T	A	C	T	A	A
0	0	-2	-4	-6	-8	-10	-12
T	-2	1	-1	-3	-5	-7	-9
A	-4	-1	2	0	-2	-4	-6
A	-6	-3	0	1	-1	-1	-3
T	-8	-5	-2	-1	2	0	-2
A	-10	-7	-4	-3	0	3	1

- A. Determine the scoring scheme for match, mismatch and gap used to construct this matrix. **(6 Marks)**
- B. Explain what the arrows in the figure indicate. **(5 Marks)**
- C. Is this a global or local alignment? Why? **(6 Marks)**
- D. Explain how you would proceed to find the optimal alignment. **(8 Marks)**
- D. How many optimal alignments could be obtained? Explain. **(5 Marks)**

*With my best wishes*

EXAMINERS	PROF. DR. REDA GAAFAR	
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	<b>Tanta University</b>		
	<b>Faculty of Science – Department of Mathematics and Statistics</b>		
	<b>Final Examination (Level Three - Statistics Branch)</b>		
	<b>Course Title: Inventory Theory</b>		<b>Course code: ST3105</b>
<b>Date: Sunday 7/3/2021</b>	<b>Term: First 2020 - 2021</b>	<b>Total Assessment Marks: 150</b>	<b>Time Allowed: 2:00 Hour</b>

*Answer the following questions:*

Q1 - A company stocks an item that is consumed at the rate of 50 units per day. It costs the company 20 pounds each time an order is placed. An inventory unit held in stock for a week will cost 0.35 pounds. Determine:

- The optimum inventory policy, assuming lead time of 1 week.
- The optimum number of orders per year (based on 365 days per year).

Q2 - Using inventory graph to obtain the inventory policy and the total cost of the economic production quantity model under the optimal policy. Then show that the policies of this model reduce to those given for Harris model.


Q3 - If  $d = 400$  units per unit time,  $C_o = \$20$  per period,  $C_h = \$0.1$  per unit time and the average inventory level is  $50\sqrt{3}$  units per unit time. Prove that  $D = 100$  or  $300$  units per unit time and whichever is the optimal solution that minimizes the inventory total cost.

Q4 - Determine the optimal inventory policy of Harris's EOQ model and if we doubled the ordering and the holding costs, prove that the model sensitivity is affected by hundred percent of the original minimum total cost.

Q5 - What do you understand by stock out, lead time, safety stock, inventory graph and demand's classifications?

*With best of luck and success*

*Dr. H. A. M. Kotb*

	<b>Tanta University-Faculty of Science</b>			
	<b>Department of Mathematics</b>			
	Final examination paper (third level) of Statistics			
Course Title:	<b>Experimental Design</b> تصميم تجارب		Course Code: ST3103	
Date:	14-March-2021	First semester	Marks: 150	Time Allowed: 2 hours

**Question 1. (30 marks)**

- In short statement, define Treatments and Blocks in an experiment such that you show the difference between them.
- Show diagram example for an experiment with blocks.

**Question 2. (30 marks)**

- In short description, show the difference between one-way ANOVA, two-way ANOVA, Latin Square Design.
- State the general steps of an experiment.

**Question 3. (20 marks)**

Write the column of degree of freedom (d.f. of treatments, blocks, error and total) in the Anova table of nested design with 3 treatments and 2 blocks, each block has 4 units.

**Question 4. (35 marks)**

The following data set is for an experiment that involves two levels of temperature and three levels of material. Investigate if there is a difference in temperature levels or not, same for material. Check if there is an interaction between temperature and material?

( $F_{0.05,2,18} = 3.5546$ ,  $F_{0.05,1,18} = 4.4139$ )

I	$T_2M_2$ 19	$T_2M_1$ 34	$T_1M_1$ 30	$T_2M_3$ 44	$T_1M_3$ 40	$T_1M_2$ 26
II	$T_2M_1$ 24	$T_2M_2$ 22	$T_2M_3$ 20	$T_1M_2$ 33	$T_1M_1$ 45	$T_1M_3$ 31
III	$T_1M_2$ 18	$T_1M_1$ 23	$T_2M_1$ 41	$T_1M_3$ 30	$T_2M_3$ 41	$T_2M_2$ 34
IV	$T_1M_3$ 29	$T_2M_2$ 15	$T_2M_3$ 15	$T_2M_1$ 75	$T_1M_2$ 42	$T_1M_1$ 70

**Please turn the sheet for Question 5**

**Question 5. (35 marks)**

In an experiment where we used 6 rats (Columns) and 6 mazes (Rows) to see if different kinds of drugs (I, II, III, IV, V, VI) can make rats smarter by finishing the mazes in shorter times. The following data are the times taken by rats to finish the mazes. Check if there are difference between the different kinds of drugs. Also verify if we could cancel the effect of having different rats and different mazes. ( $F_{0.05,5,20} = 2.71$ ).

		Rats					
		III	V	IV	I	VI	II
Mazes	III	7.9	8.7	7.4	7.4	7.1	8.2
	IV	6.1	8.2	7.7	7.1	8.1	5.9
	I	7.5	8.1	6	6.4	6.2	7.5
	VI	6.9	8.5	6.8	7.7	8.5	8.5
	II	6.7	9.9	7.3	6.4	6.4	7.3
	V	7.3	8.3	7.3	5.8	6.4	7.7

*Best wishes & good luck*

Examiner: Dr. Ahmed AboZaid Elbanna



**Answer the following questions( each question of 15 marks):**

1- If the moment generating function of the random variables X and Y is :

$$M(s, t) = e^{(s+3t+2s^2+18t^2+12st)}$$

deduce the covariance of X and Y.

2- If  $\text{Var}(X + Y) = 3$ ,  $\text{Var}(X - Y) = 1$ ,  $E(X) = 1$  and  $E(Y) = 2$ , find  $E(XY)$  ..

3- Let X and Y be discrete random variables with joint probability density function:

$$f(x, y) = \frac{1}{18} (x + 2y) \text{ for } x = 1, 2; \quad y = 1, 2$$

find the correlation coefficient X, Y.

4- Suppose that the joint p.d.f of the r.v's X and Y is given by :

$$f(x, y) = 4y(x - y)e^{-x-y}, \quad 0 \leq x < \infty, \quad 0 \leq y \leq x$$

Compute the conditional variance  $\text{Var}(x|y)$  .

5- Let the joint p.d.f of the discrete r.v's X and Y be:

$$p(x, y) = q^2 p^{y-2}, \quad x = 1, 2, \dots, y-1, \quad y = 2, 3, \dots \text{ and } 0 \leq p \leq 1, \quad q = 1 - p$$

prove that  $p(x, y)$  is joint p.d.f and find the cumulative distribution function  $P(2.4)$  .

6- If  $f(x|y) = \frac{3x^2}{y^3}$ ,  $y > x > 0$  and  $f_2(y) = 5y^4$ ,  $0 < y < 1$ , find  $E(x)$ .

7- If X and Y are r.v.'s with the joint p.d.f. given by:

$$f(x, y) = e^{-x-y}, \quad x \geq 0, \quad y \geq 0,$$

then calculate: (i)  $p(X > 2 / Y > 1)$ , (ii)  $p(X > Y / 2X > Y)$ .

8- If the r.v's X and Y have  $\mu_x = 2, \mu_y = -3, \mu_z = 4, \sigma_x^2 = 1, \sigma_y^2 = 5, \sigma_z^2 = 2, \text{cov}(x, y) = -2$

,  $\text{cov}(x, z) = -1$  and  $\text{cov}(y, z) = 1$ , find the mean and the variance of  $W = 2X - Y + 3Z$ , and

the covariance of W and  $U = 3X + Y - Z$ .

9- Define : i- Covariance ii- Characteristic function iii-Independent .

10- Deduce the moment generating function  $M(s, t)$ ,  $E(x)$  and  $\text{Var}(x)$  for the bivariate binomial distribution which has the p.d.f:

$$p(x, y) = \frac{n! p_1^x p_2^y (1 - p_1 - p_2)^{n-x-y}}{x! y! (n - x - y)!}, \quad x, y = 0, 1, \dots, n.$$

EXAMINERS	PROF. DR./	DR/ ADEL EDRESS
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With my best wishes